Experimentation

Jaime Arguello
INLS 613: Text Data Mining

jarguell@email.unc.edu

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Outline

Parameter Tuning

Cross-Validation

Significance tests

Evaluation

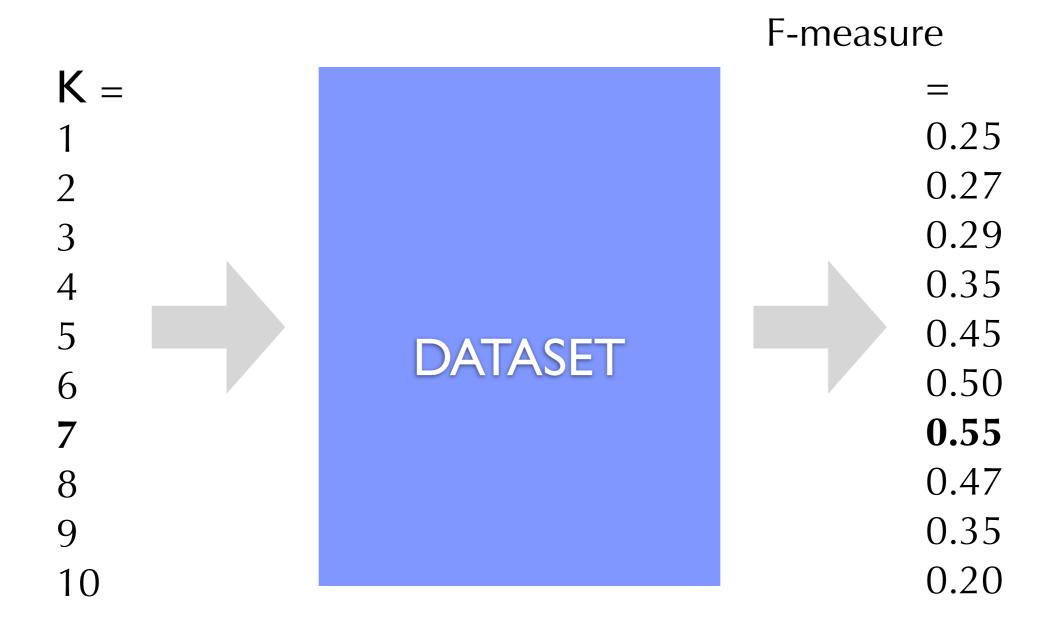
- The goal of evaluation is to determine a model's performance on previously unseen data
 - Parameter-tuning
 - Comparing between alternative approaches
 - Feature-ablation studies

Parameter Tuning motivation

- Supervised machine learning algorithms have lots of moving parts
- We can think of these parameters as "knobs" that need to be tweaked or tuned
- The goal is to set these parameter values such that we maximize performance
- We need to do this for both systems, not just the one we want to win!
- Can you think of some example parameters?

- K-nearest Neighbor
 - Compute the similarity between a previously unseen instance and all the instances in the training set
 - Assign the majority class associated with its K nearest neighbors
- Parameter K determines the number of training set instances that are used in the voting
- Goals:
 - How do we set K?
 - What is the expected performance of the system with a good value of K?

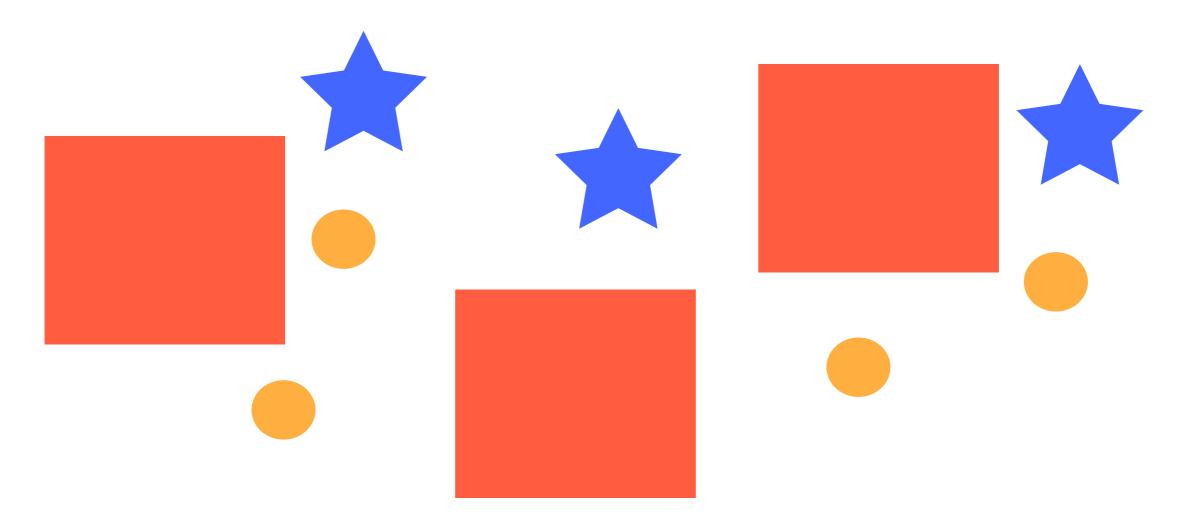
- How should we determine the value of K?
- Option -1: roll the dice, close your eyes, and hope for the best
- Option 0: take a conservative guess (e.g., K = 5)?
- Option 1: try out a range of values (e.g., K = 1, 5, 10, 20, 50, 100) and set it to the value that maximizes performance based on a sensible metric?



Why is this a bad idea?

Parameter Tuning toy example

Objective: distinguish between stars, squares, and circles



• Parameters: the relative importance between (1) size, (2) color, and (3) number of sides

- The goal is to set parameter values such that we maximize performance
- What is the performance that we are really interested in?
- We care about performance on <u>previously unseen</u> data
- We care about generalization performance!
- Our training set may contain regularities that are not meaningful
- We care about those regularities that are meaningful for the overall population!

• Option 2:

- 1. divide the data set into two sets
 - training set: a set used to find the best parameter values (e.g., 80%)
 - test set: a held-out set used to evaluate model performance (e.g., 20%)
- 2. train: find the parameter value that maximize performance on the training set
- 3. test: evaluate the model (with the best training-set parameter value) on the test set



- Split the data into two sets.
- Find the parameter value that maximizes performance on the training set.
- Evaluate the system with that parameter value on the test set.

TRAINING
SET
(80%)

K = 5

TEST SET (20%)

F = 0.50

- Split the data into two sets.
- Find the parameter value that maximizes performance on the training set.
- Evaluate the system with that parameter value on the test set.

TRAINING
SET
(80%)

K = 5

TEST SET (20%)

F = 0.50

Advantages and Disadvantages?

Single Train/Test Split

Advantage

- the data used to find the optimal parameter value is not the same data used to test!
- we are testing generalization performance.

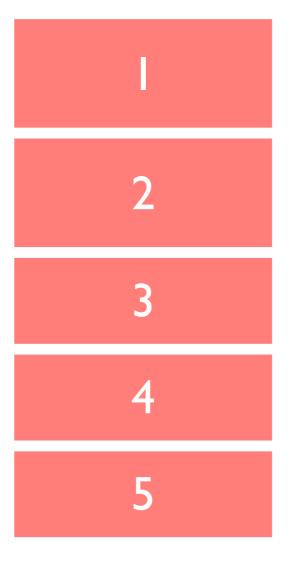
Disadvantage

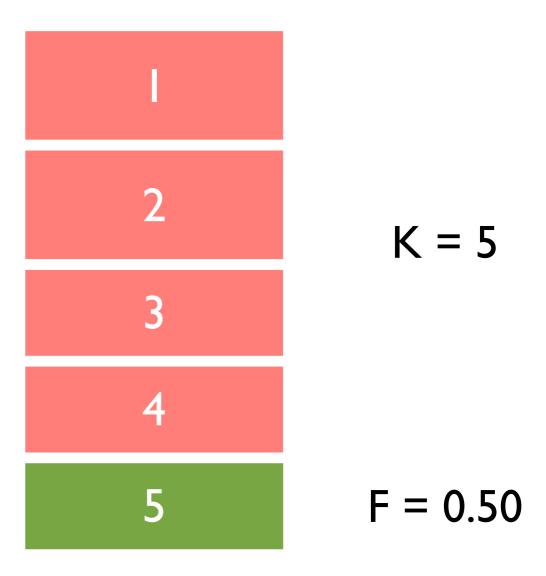
- we are putting all our eggs in one basket!
- out of pure coincidence, the training set may have regularities that don't generalize to the test set

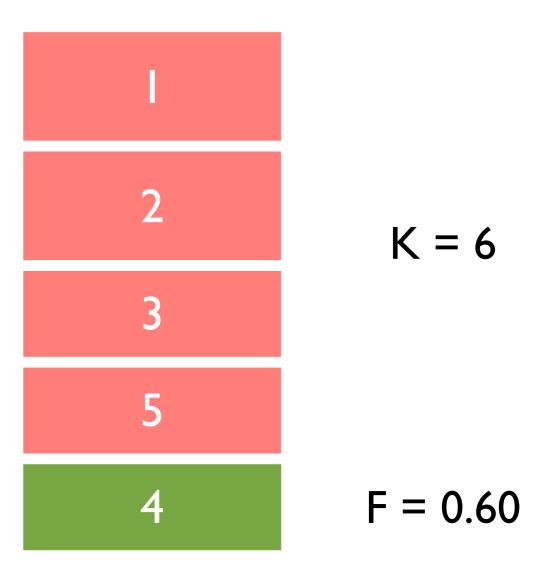
- Option 3: cross-validation
 - 1. divide the data into N sets of instances
 - 2. use the union of N-1 sets to find the best parameter values
 - 3. measure performance (using the best parameters) on the held-out set
 - 4. do steps 2-3 N times
 - 5. average performance across the N held-out sets
- This is called N-fold cross-validation (usually, N=10)

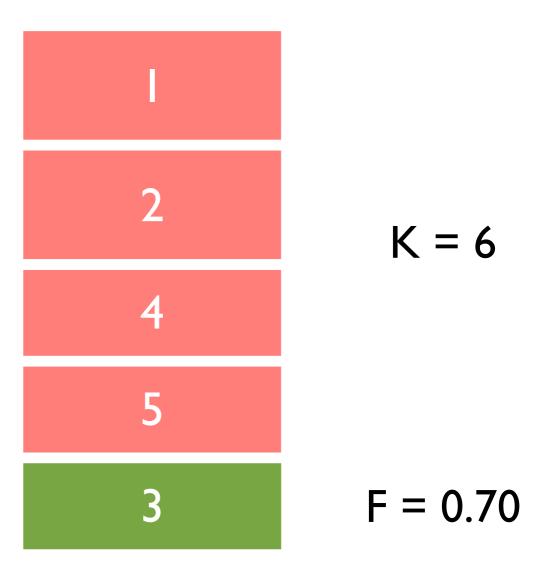


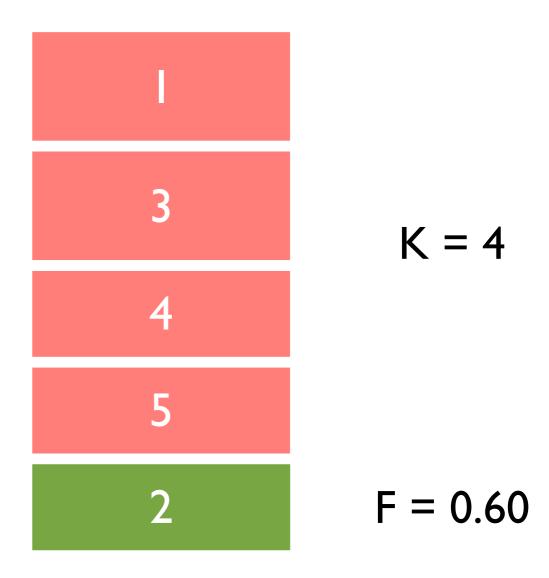
• Split the data into N = 5 folds

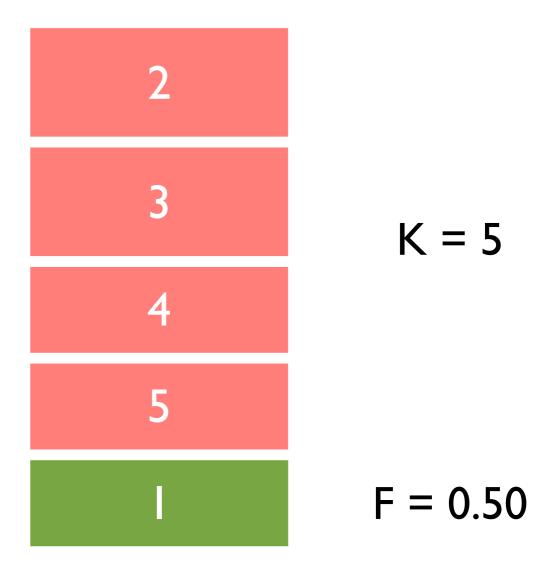




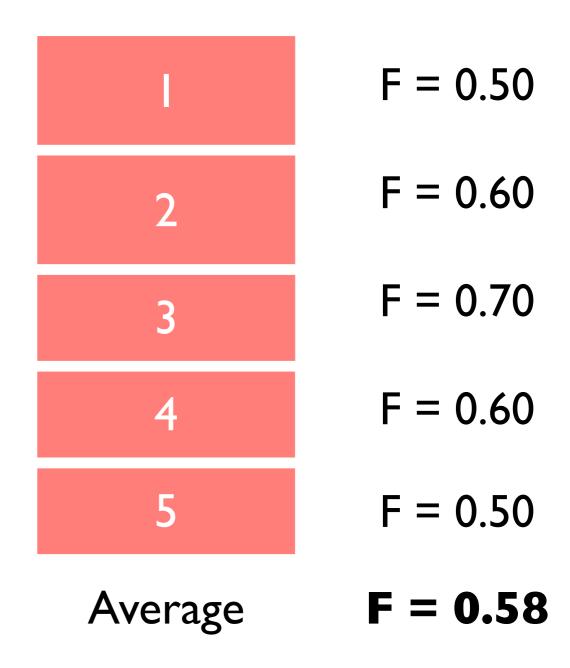




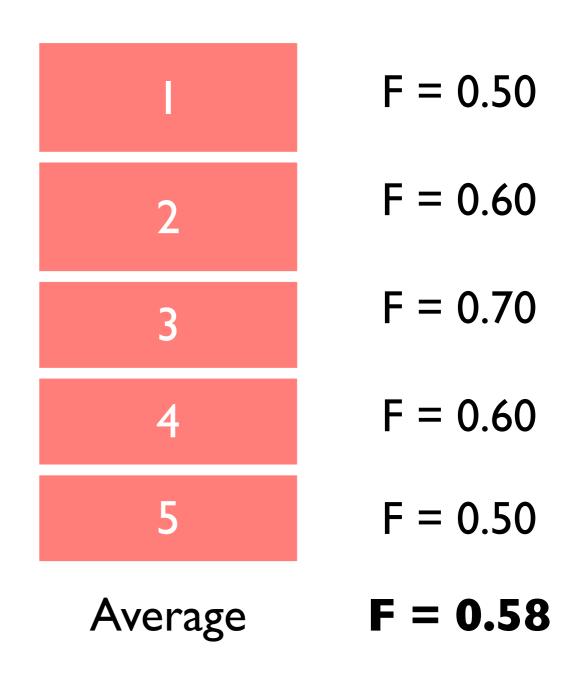




 Average the performance across held-out folds



 Average the performance across held-out folds



Advantages and Disadvantages?

N-Fold Cross-Validation

Advantage

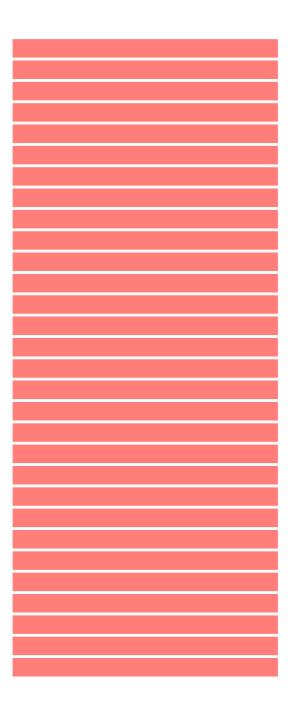
multiple rounds of generalization performance.

Disadvantage

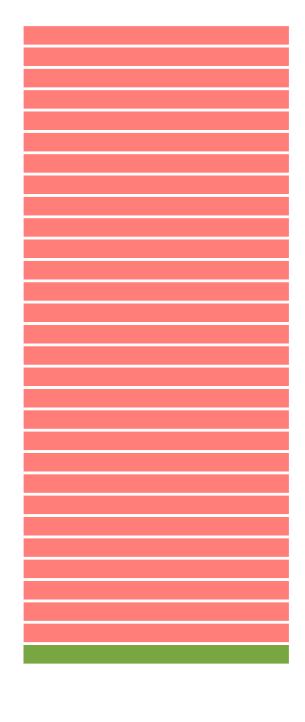
- ultimately, we'll tune parameters on the whole dataset and send our system into the world.
- a model trained on 100% of the data should perform better than one trained on 80%.
- thus, we may be underestimating the model's performance!



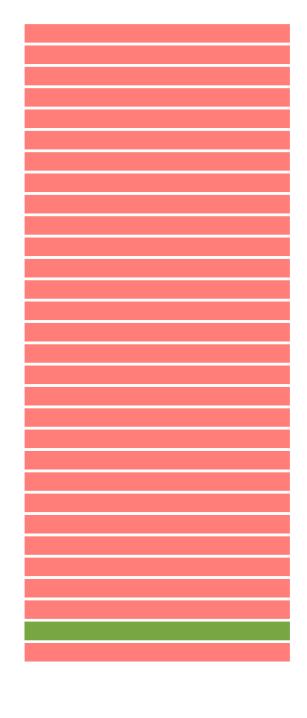
 Split the data into N folds of 1 instance each



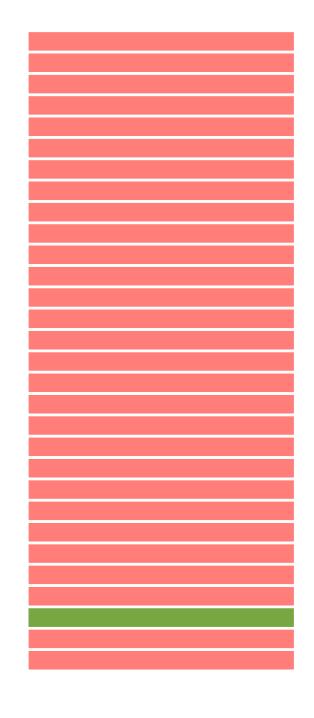
 For each instance, find the parameter value that maximize performance on for the other instances and and test (using this parameter value) on the held-out instance.



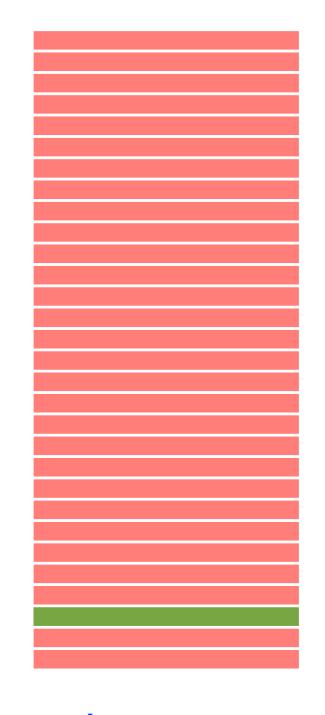
 For each instance, find the parameter value that maximize performance on for the other instances and and test (using this parameter value) on the held-out instance.



- For each instance, find the parameter value that maximize performance on for the other instances and and test (using this parameter value) on the held-out instance.
- And so on ...
- Finally, average the performance for each held-out instance



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Advantages and Disadvantages?

Advantages

- multiple rounds of generalization performance.
- each training fold is as similar as possible to the one we will ultimately use to tune parameters before sending the system out into the world.

Disadvantage

- our estimate of generalization performance may still be artificially high
- why?

Advantages

- multiple rounds of generalization performance.
- each training fold is as similar as possible to the one we will ultimately use to tune parameters before sending the system out into the world.

Disadvantage

- our estimate of generalization performance may still be artificially high
- we are likely to try lots of different things and pick the one with the best "generalization" performance
- still indirectly over-training to the dataset (sigh...)

Outline

Parameter Tuning

Cross-Validation

Significance tests

Comparing Systems

	Train and test both	Fold	System A	System B
	systems using 10- fold cross validation	1	0.20	0.50
		2	0.30	0.30
		3	0.10	0.10
•	Use the same folds for both systems	4	0.40	0.40
		5	1.00	1.00
		6	0.80	0.90
•	Compare the	7	0.30	0.10
	difference in average	8	0.10	0.20
	performance across	9	0.00	0.50
	held-out folds	10	0.90	0.80
		Average	0.41	0.48
		_	Difference	0.07

Significance Tests motivation

- Why would it be risky to conclude that System B is better System A?
- Put differently, what is it that we're trying to achieve?

Significance Tests motivation

- In theory: that the average performance of System B is greater than the average performance of System A for all possible test sets.
- However, we don't have all test sets. We have a sample
- And, this sample may favor one system vs. the other!

Significance Tests definition

 A significance test is a statistical tool that allows us to determine whether a difference in performance reflects a true pattern or just random chance

Significance Tests ingredients

- Test statistic: a measure used to judge the two systems (e.g., the difference between their average F-measure)
- Null hypothesis: no "true" difference between the two systems
- P-value: take the value of the observed test statistic and compute the probability of observing a value that large (or larger) under the null hypothesis

Significance Tests ingredients

- If the p-value is large, we cannot reject the null hypothesis
- That is, we cannot claim that one system is better than the other
- If the p-value is small (p<0.05), we can reject the null hypothesis
- That is, the observed test-statistic is not due to random chance

Fisher's Randomization Test procedure

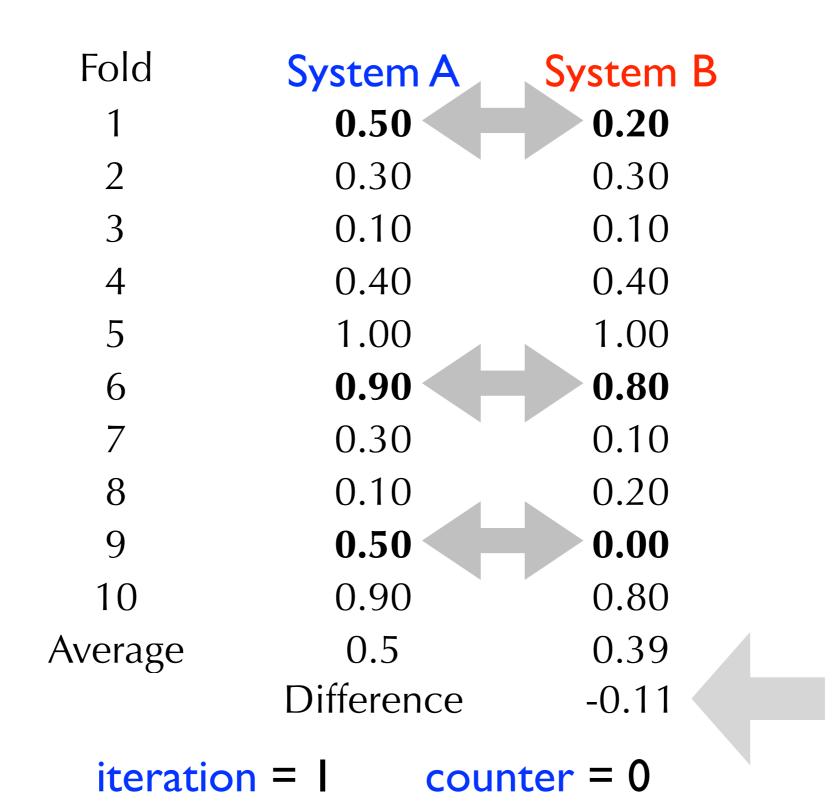
- **Inputs:** counter = 0, N = 100,000
- Repeat N times:

Step 1: for each fold, flip a coin and if it lands 'heads', flip the result between System A and B

Step 2: see whether the test statistic is equal to or greater than the one observed and, if so, increment counter

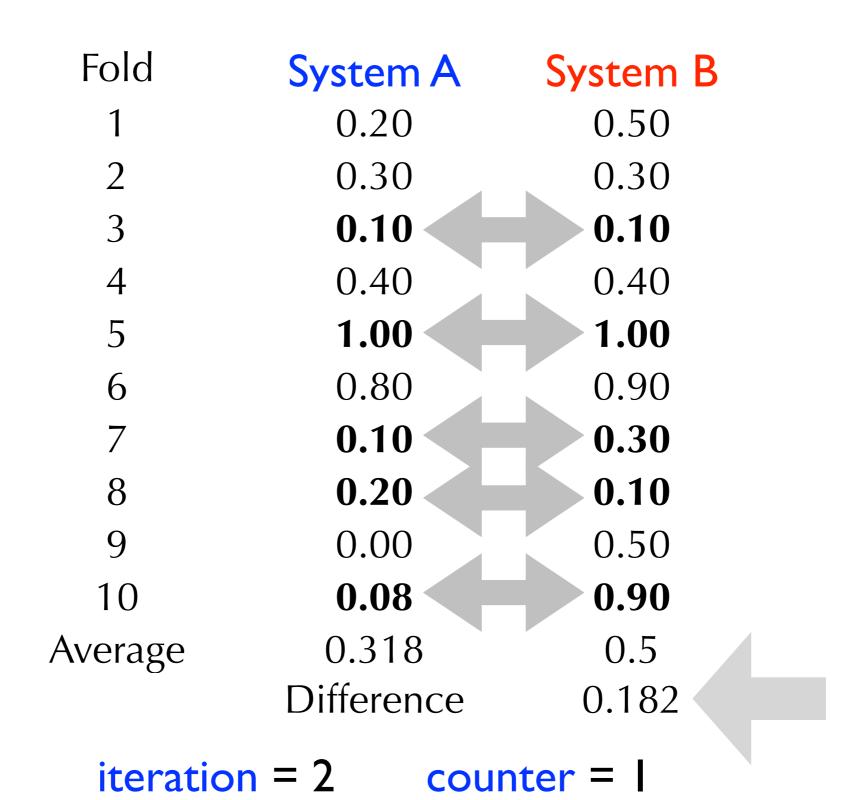
Output: counter / N

Fold	System A	System B
1	0.20	0.50
2	0.30	0.30
3	0.10	0.10
4	0.40	0.40
5	1.00	1.00
6	0.80	0.90
7	0.30	0.10
8	0.10	0.20
9	0.00	0.50
10	0.90	0.80
Average	0.41	0.48
_	Difference	0.07



at least 0.07?

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at least 0.07?

Fold	System A	System B
1	0.50	0.20
2	0.30	0.30
3	0.10	0.10
4	0.40	0.40
5	1.00	1.00
6	0.90	0.80
7	0.30	0.10
8	0.10	0.20
9	0.50	0.00
10	0.90	0.80
Average	0.5	0.39
	Difference	-0.11

at least 0.07?

iteration = 100,000

counter = 25,678

Fisher's Randomization Test procedure

- **Inputs:** counter = 0, N = 100,000
- Repeat N times:

Step 1: for each query, flip a coin and if it lands 'heads', flip the result between System A and B

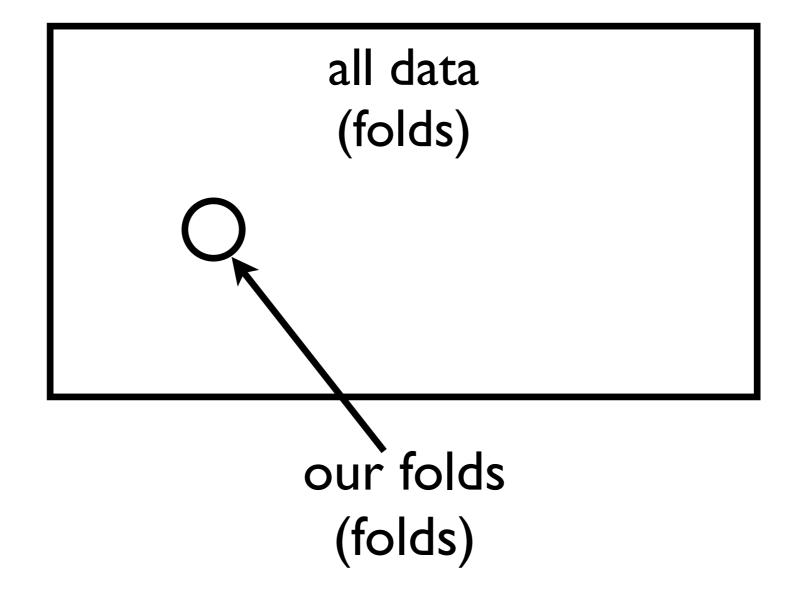
Step 2: see whether the test statistic is equal to or greater than the one observed and, if so, increment counter

• Output: counter / N = (25,678/100,00) = 0.25678

- Under the null hypothesis, the probability of observing a value of the test statistic of 0.07 or greater is about 0.26.
- Because p > 0.05, we cannot confidently say that the value of the test statistic is <u>not</u> due to random chance.
- A difference between the average F-measure values of 0.07 is not significant

Bootstrap-Shift Test motivation

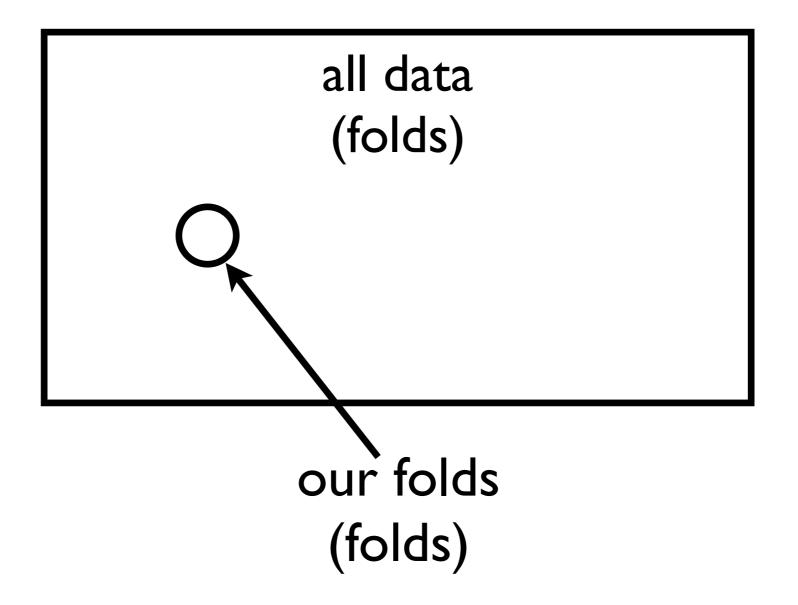
Our sample is a representative sample of all data



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motivation

• If we sample (with replacement) from our sample, we can generate a new representative sample of all data



- **Inputs:** Array $T = \{\}$, N = 100,000
- Repeat N times:

Step 1: sample 10 folds (with replacement) from our set of 10 folds (called a subsample)

Step 2: compute test statistic associated with new sample and add to T

- Step 3: compute <u>average</u> of numbers in T
- Step 4: reduce every number in T by <u>average</u>
- Output: % of numbers in T greater than or equal to the observed test statistic

System A	System B
0.20	0.50
0.30	0.30
0.10	0.10
0.40	0.40
1.00	1.00
0.80	0.90
0.30	0.10
0.10	0.20
0.00	0.50
0.90	0.80
0.41	0.48
Difference	0.07
	0.20 0.30 0.10 0.40 1.00 0.80 0.30 0.10 0.00 0.90 0.41

sample	System B	System A	Fold
0	0.50	0.20	1
1	0.30	0.30	2
2	0.10	0.10	3
2	0.40	0.40	4
0	1.00	1.00	5
1	0.90	0.80	6
1	0.10	0.30	7
1	0.20	0.10	8
2	0.50	0.00	9
0	0.80	0.90	10

iteration = I

Fold	System A	System I	3	
2	0.30	0.30		
3	0.10	0.10		
3	0.10	0.10		
4	0.40	0.40		
4	0.40	0.40		
6	0.80	0.90		
7	0.30	0.10		
8	0.10	0.20		
9	0.00	0.50		
9	0.00	0.50		
Average	0.25	0.35		
	Difference	0.1		$T = \{0.10\}$
	iteratio	n = I		

sample	System B	System A	Fold
0	0.50	0.20	1
0	0.30	0.30	2
3	0.10	0.10	3
2	0.40	0.40	4
0	1.00	1.00	5
1	0.90	0.80	6
1	0.10	0.30	7
1	0.20	0.10	8
1	0.50	0.00	9
1	0.80	0.90	10

$$T = \{0.10\}$$

iteration = 2

Fold	System A	System	В	
3	0.10	0.10		
3	0.10	0.10		
3	0.10	0.10		
4	0.40	0.40		
4	0.40	0.40		
6	0.80	0.90		
7	0.30	0.10		
8	0.10	0.20		
9	0.00	0.50		
10	0.90	0.80		
Average	0.32	0.36		$T = \{0.10,$
	Difference	0.04		0.04
	iteration = 2			

Fold	System A	System B	
1	0.20	0.50	
1	0.20	0.50	
4	0.40	0.40	
4	0.40	0.40	
4	0.40	0.40	
6	0.80	0.90	
7	0.30	0.10	
8	0.10	0.20	
8	0.10	0.20	
10	0.90	0.80	$T = \{0.10,$
Average	0.38	0.44	
	Difference	0.06	U.UT ,
	iteration =	= 100,000	0.06 }

- Inputs: Array $T = \{\}$, N = 100,000
- Repeat N times:
 - **Step 1:** sample 10 folds (with replacement) from our set of 10 folds (called a subsample)
 - **Step 2:** compute test statistic associated with new sample and add to T
- **Step 3:** compute <u>average</u> of numbers in T
- **Step 4:** reduce every number in T by <u>average</u>
- Output: % of numbers in T' greater than or equal to the observed test statistic

• For the purpose of this example, let's assume N = 10.

- Inputs: Array $T = \{\}$, N = 100,000
- Repeat N times:
 - **Step 1:** sample 10 folds (with replacement) from our set of 10 folds (called a subsample)
 - **Step 2:** compute test statistic associated with new sample and add to T
- Step 3: compute <u>average</u> of numbers in T
- Step 4: reduce every number in T by average
- Output: % of numbers in T' greater than or equal to the observed test statistic

• Output: (3/10) = 0.30

Average = 0.12

Significance Tests

summary

- Significance tests help us determine whether the outcome of an experiment signals a "true" trend
- The null hypothesis is that the observed outcome is due to random chance (sample bias, error, etc.)
- There are many types of tests
- Parametric tests: assume a particular distribution for the test statistic under the null hypothesis
- Non-parametric tests: make no assumptions about the test statistic distribution under the null hypothesis
- The randomization and bootstrap-shift tests make no assumptions, are robust, and easy to understand